

| Question | Answer | Marks | Guidance |
|----------|---|-------|--|
| 1 (a) | Axes labelled with pd / V and current / A | 1 | |
| | Scale divisions of 1 or 2 V and 0.1 or 0.2 A | 1 | |
| | Points plotted correctly. | 1 | |
| | Line of best fit drawn to cross through as many points as possible, starting at the origin. | 1 | |
| 1 (b) | $V = IR$ and $R = \frac{\rho L}{A}$ | 1 | |
| | therefore $V = \frac{\rho L I}{A}$ | 1 | |
| 1 (c) | gradient of graph = $R = \frac{\rho L}{A}$ | 1 | |
| | $= \frac{8.0 \text{ V}}{0.6 \text{ A}}$ | 1 | |
| | $= 13.3 \Omega$ | 1 | |
| | Resistivity $\rho = \frac{RA}{L}$ | 1 | |
| | $= 13.3 \times \pi \times \frac{(0.14 \times 10^{-3})^2}{1.60}$ | 1 | |
| | $= 5.12 \times 10^{-7} \Omega \text{ m}$ | 1 | |
| 2 (a) | $\Delta Q = I \Delta t = 40 \times 10^{-3} \times 3 \times 60$ | 1 | Remember that current must be in A and time in s. |
| | $= 7.2 \text{ C}$ | 1 | |
| 2 (b) | number of electrons = $\frac{7.2}{1.60 \times 10^{-19}}$ $= 4.5 \times 10^{19}$ | 1 | From the Data Booklet, one electron has charge $1.6 \times 10^{-19} \text{ C}$, so you divide the charge in C from (i) by this number to find the number of electrons. |
| 2 (c) | $V = \frac{\Delta W}{\Delta Q} = \frac{8.6}{7.2}$ | 1 | This follows from the definition of 1V as 1 J C^{-1} . Throughout this question, an earlier arithmetical error (in finding ΔQ , say) would not be further penalised: a wrong value for ΔQ could still lead to full marks here. |
| | $= 1.2 \text{ V}$ | 1 | |
| 2 (d) | $R = \frac{V}{I} = \frac{1.2}{40 \times 10^{-3}} = 30 \Omega$ | 1 | A wrong value of V from (c) could still allow you to gain this mark, provided you used your V correctly in (d). |
| 3 (a) | $R = \frac{V}{I} = \frac{1.2}{1.8}$ | 2 | The first mark is for choosing $R = \frac{V}{I}$, and then using it correctly. |
| | $= 6.7 \Omega$ | 1 | The second mark is for reading the V and I values from the top point of the graph, where the resistance is greatest. The third mark is for working out R correctly and showing its unit. |

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| 3 (b) | current is zero for all negative voltages for positive voltages, curve showing a steep rise in current starting at about +0.6 V (with voltage not greatly to exceed 1 V) | 1 1 | You have to be familiar with the shape of these characteristic curves. A diode conducts in one direction only and conducts increasingly well once the positive voltage is greater than about 0.6 V. |
| 4 (a) (i) | readings need to be taken more quickly than could be achieved by manual timing | 1 | The filament heats up very quickly, so you could not possibly take readings quickly enough if you were to try to use a stop watch. Note that the advantage of the computer is that it can take frequent results over a very short time; this is nothing to do with the accuracy of the readings. |
| 4 (a) (ii) | rate: more than 40 samples per second reason: the current rises very rapidly over the first 0.1 s, and you should have about 4 results on this first section | 1 1 | Use a ruler on the time axis to divide up and mark a scale, where only 0 and 2.0 s are marked. This should allow you to decide that initial rise takes place in about 0.1 s. A reliable graph requires several results to be taken in that time. |
| 4 (b) | Relevant points include: • initial resistance is low so initial current is high • temperature of filament increases (or filament heats up) • resistance increases as temperature rises • increase in resistance causes current to fall • current is steady when energy supplied = energy lost from filament (or when temperature is constant) • maximum heating is produced at start when current is highest • melting of filament causes it to fail (could be mechanical failure caused by temperature rise) • when switched on energy is supplied more rapidly than it is lost so filament melts | 6 | This question is about the effect of temperature on the resistance of a metal wire. When it is cold the resistance is low; the resistance increases as the wire heats up. Therefore the current increases greatly at the start and then decreases as the filament temperature increases. You can observe this effect with a sensitive ammeter. The filament in lamps (such as old-fashioned domestic light bulbs) sometimes fails when they are first switched on. If, however, they are supplied through a dimmer switch that allows you to increase the current gradually, this initial failure is less likely to happen. |
| 5 (a) | $R = \frac{\rho L}{A} = \frac{1.7 \times 10^{-8} \times 1.4}{7.8 \times 10^{-7}}$ $= 3.1 \times 10^{-2} \Omega$ | 1 1 | In this example you have to start off by rearranging the resistivity equation to make R the subject. |
| 5 (b) | since the volume is constant, $L_1 A_1 = L_2 A_2$ for the two wires $\therefore A_2 = \frac{1}{2} A_1$ ($\because L_2 = 2 L_1$) $R_2 = \frac{\rho \times 2L_1}{A_1/2} = \frac{4\rho L_1}{A_1} = 4R$ | 1 1 | If you find it difficult to do this using algebra, you could do it using numbers. L becomes 2.8 m, so A is halved to $3.9 \times 10^{-7} \text{ m}^2$. Substitution of these values gives a resistance of $12.4 \times 10^{-2} \Omega$, which is 4 R . |

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| 6 (a) (i) | Circuit to show: • battery, switch, wire, variable resistor and ammeter in series • voltmeter in parallel with wire | 2 | The variable resistor allows you to take more than one result for each length of wire, but your main need is to take results for different lengths. |
| 6 (a) (ii) | switch on, measure I and V change length of wire measure new I and V measure length of wire each time | 1 1 1 1 | The question tells you that the cross-sectional area of the wire is known. Otherwise you would also have to measure the diameter of the wire. |
| 6 (a) (iii) | for each length of wire calculate R using $R = \frac{V}{I}$ and plot a graph of R against L since $R = \frac{\rho L}{A}$, the graph is a straight line of gradient $\frac{\rho}{A}$ $\rho = A \times \text{gradient}$, and A is known | 1 1 1 | In this part you must show how you would use your results for I , V and L in order to determine the value of ρ . Graphical methods are preferred because they lead to a more reliable average value. |
| 6 (b) | $R = \frac{V}{I} = \frac{240}{2.0 \times 10^{-3}} = 1.20 \times 10^5 \Omega$ $\rho = \frac{RA}{L} = \frac{120 \times 10^3 \times (80 \times 10^{-3})^2}{1.5 \times 10^{-3}}$ $= 5.1 \times 10^5 \Omega \text{ m}$ | 1 1 1 | This part makes you think carefully about the application (it is not a wire this time). You are told that a current is passing through the plastic material. The metal films (which coat the end areas) are where the current enters and leaves the plastic, so A is $(80 \times 10^{-3})^2$. |
| 7 (a) (i) | a component (or substance) which has no electrical resistance | 1 | It is far better to refer to resistance than to say it is an excellent conductor! |
| 7 (a) (ii) | Sketch graph of R against T to show: • correct high temperature graph with abrupt discontinuous vertical line indicating that R has become zero at a certain temperature • temperature axis labelled (e.g. $T_{\text{transition}}$) at the corresponding temperature | 2 | At higher temperatures than $T_{\text{transition}}$ the resistance increases steadily with temperature. Below $T_{\text{transition}}$ the resistance remains zero. |
| 7 (b) | Reason: when resistance is zero there is no energy (heat, or power) lost Applications: power cables, electromagnets, generators, motors, transformers, MRI scanners, monorail trains, particle accelerators, fusion reactors | 1 any 2 | This tests your knowledge of facts. A superconductor used as a power cable is only really useful if less energy is used to maintain the (generally low) transition temperature of the substance than is saved by using the superconductor. |